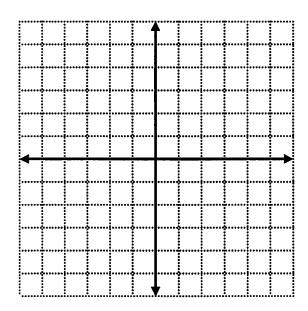
M	lath 111 Final Exam Form A	
Se	ection Date Name	
	Show all work or document calculator usage to receive full credit.	
1.	Determine whether the given pair of lines is parallel, perpendicular or neither. Show all work and give reason for your answer. $\begin{cases} y = 4x - 5 \\ 4y = 8 - x \end{cases}$	
_		(2pts)
2.	Determine the equation of the line passing through $(-3,7)$ and $(-1,-5)$. Show all work. Express your answer in slope-intercept form.	
	Equation:(3	3pts)
3.	a. Find the radius of the circle that passes through the point $(3,7)$ and has its center at $(-1,4)$. Show all work.	
	Radius:(:	1pt)
	b. Find the equation of that circle. Express your answer in center-radius form.	
	Equation:((2pts)
4.	Solve analytically. Show all work. Express your answer in interval notation. $2(x-4) < 3-5(2x+1)$	
	((2pts)

- 5. Find the point that is symmetric to (7,-3):
 - a. With respect to the x-axis ______(1pt)
 - b. With respect to the y-axis ______ (1pt)
 - c. With respect to the origin ______(1pt)
- 6. Graph the piecewise function. (3pts)

$$f(x) = \begin{cases} 2x-1 & \text{for } x < 0 \\ 3 & \text{for } 0 \le x < 4 \\ -\frac{1}{2}x & \text{for } x \ge 4 \end{cases}$$



7. Given $f(x) = 3x^2 - 6x + 4$ and $g(x) = x^2 - 3x - 10$, find (f - g)(x) and state the domain of (f - g)(x) in interval notation.

$$(f-g)(x) = \underline{\hspace{1cm}} (2pts)$$

Domain of
$$(f-g)(x)$$
: ______(1pt)

8.	Given $f(x) = 3x$ and $g(x) = 2x^2 - 4x - 7$, evaluate $(g \circ f)(x)$ and simplify.	
		(2pts)
9.	Determine the domain of the function. Express your answer in interval notation.	
	$f(x) = \sqrt{x+2}$	
	Domain:	(2pts)
10.	. Write an equation for a function that has the shape of $y = x $ that is shifted left 3 units, reflected at x-axis, and shifted down 4 units.	out the
		(3pts)
11.	. For the graph of $f(x) = -2x^2 - 24x - 64$, state the coordinates of the vertex.	
		(2pts)
12.	. Find the EXACT zeros of $f(x) = x^2 - 4x - 41$ algebraically.	
		(3pts)
13.	. Solve and write interval notation for the solution set: $ x+4 > 5$	(0)
		(3nte)

14. Find the exact solution(s): $\sqrt{x+7} = x+$	1		
15. Find the exact solution(s): $\frac{2}{x+5} + \frac{1}{x-5}$	$=\frac{16}{x^2-25}$		(3pts)
16. Determine the leading term, the leading polynomial function as constant, linear, $f(x) = 4x^3 - 7x^2 + \frac{2}{3}x - 6$ Leading term:		· · · · · · · · · · · · · · · · · · ·	·
Degree of the polynomial:	(1pt)	Classify the function:	
17. a. Graph the function using the given view minima of the function. Round answers $f(x) = 0.2x^3 - 0.2x^2 - 5x - 4$	to two dec		
		Minima:	(1pt)
b. Determine the interval(s) where $f(x)$ is	s increasing	g. Write your answer in interval n	otation.
Increasing:			(1nt)

18. Data on airline revenue from add-on fees are listed in the following table.	Use a graphing calculator to fit a
regression line to the data, and let x=0 represent the year 2010.	

Year, x	Airline Revenue from Add-On Fees (in billions), y
2010, 0	\$22.6
2011, 1	\$32.5
2012, 2	\$36.1
2013, 3	\$42.6
2014, 4	\$49.9

a)	Linear Regression Equation:			
		(2pts)		
b)	Predict airline revenue from add-on fees in 2025.			
Re	venue in 2025:	_ (2pts)		

19. The data in the following table shows healthcare costs in the U.S. between 1990 and 2013.

Year, x	Cost (per person), y
1990, 0	\$1,947
1996, 6	\$3,157
2002, 12	\$4,330
2007, 17	\$5,774
2013, 23	\$7,114

a) Using your graphing calculator, find the \mathbb{R}^2 value for each model. Round answers to 4 decimal places, and let x= 0 represent year 1990. (2pts)

Linear:	 	
Ղuartic:		

b)	Based on the R^2 value, which function is the best fit?	(1pt)
c)	Using your graphing calculator, find the leading term for each model. Round a	answers to 4 decimal places.
	Linear:	(2pts)
	Quartic:	

d) Based on the end-behavior of each model, is the function you chose in part b) appropriate? Give a reason for your answer.

 	(2pts)

_ (4pts)

a) Find the zeros; that is, solve $f(x) = 0$.	
	(4pts)
h) Factor ((v) into lineau factors	(460)
b) Factor $f(x)$ into linear factors.	
	(1pt)
21. For the function $f(x) = \frac{2x+9}{x-3}$, find each of the following. If it doesn't ex	ist, then answer "none."
a. Domain in interval notation.	(1pt)
b. Equation of the vertical asymptote:	(1pt)
c. Equation of the horizontal asymptote:	(1pt)
d. Equation of the oblique asymptote:	(1pt)
e. x-intercept(s) as ordered pairs:	(1pt)
f. y – intercept as an ordered pair:	(1pt)
22. Find the critical values and solve the inequality. Give the solution in interv	val notation.
x-3	
$\frac{x-3}{x+2} \le 0$	

20. For the polynomial function $f(x) = x^4 - 2x^3 + 34x^2 - 98x - 735$,

23.	Find $\log_3 18$ using the change-of-base formula and your calculator. Round to four decimal places.	
24.	Solve the exponential equation algebraically. Write solution(s) in exact form. $3^{4x+2}=27$	2pts)
	(3	3pts
25.	Solve the logarithmic equations algebraically. Write solution(s) in exact form.	
	$\log_3(x+5) + \log_3(x-5) = 2$	
	(4pts
26.	Jennifer recently graduated and landed a new job earning \$34,000. Even though retirement is not in h	er
imr	mediate future, she remembers her math teacher stressing the benefits of investing over a long period c	of
	e. Jennifer decided to invest \$3,400. Assuming that she earns 5% compounded quarterly, how much	
mo	ney will Jennifer have in her account upon her retirement 42 years later? $B = P\left(1 + \frac{r}{n}\right)^{n}$	
	(4pts

y = _____(1pt)

27. The population of Jackson, Missouri was approximately 9,50 year. When will the population of Jackson be 20,500? $P(t) = P_0 \epsilon$	-
	(4pt
28. Solve the following nonlinear system, giving the solution(s) a	s ordered pair(s).
$\begin{cases} y = x^2 + 6x + 9 \\ x + y = 3 \end{cases}$	
	(4pts
29. Use two variables to solve this problem and show your work Kathy inherited \$3,000 and invested it in two municipal bond annual interest is \$100. Find the amount invested at each rate.	s that pay 2% and 4% simple interest. The
	Amount at 2%:
	Amount at 4%:(4pts)
30. Suppose the following matrix equation is true. Find x and y.	(4pts)
$\begin{bmatrix} 5 & \frac{x}{2} \\ 2y & -8 \end{bmatrix} = \begin{bmatrix} 5 & 3 \\ -2 & -8 \end{bmatrix}$	
	7- 11-11